



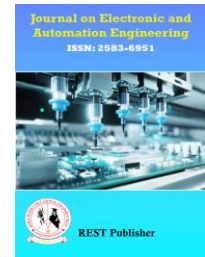
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# Integration of Adaptive Control Techniques with Portable Solar-Powered EV Charging Using Particle Swarm Optimization

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**Abstract:** This abstract presents a novel approach utilizing Particle Swarm Optimization (PSO) for enhancing the efficiency of solar-powered electric vehicle (EV) charging systems. With the increasing adoption of EVs and the imperative to transition towards renewable energy sources, optimizing the utilization of solar power for charging becomes crucial. The proposed system integrates photovoltaic (PV) panels to harness solar energy, providing a sustainable and renewable power source for EV charging. The key innovation lies in the application of PSO, a nature-inspired optimization algorithm, to dynamically adjust charging parameters based on real-time environmental conditions, grid electricity prices, and EV battery requirements. PSO offers a robust and efficient method for solving optimization problems by simulating the behavior of swarms in nature. In the context of solar-powered EV charging, the PSO algorithm iteratively adjusts charging rates and schedules to maximize solar energy utilization, minimize charging costs, and ensure optimal battery health. The integration of PSO optimization with solar-powered EV charging represents a promising step towards achieving sustainable and intelligent transportation solutions. Future research directions may include further optimization refinements, scalability studies, and real-world deployment to validate the practicality and effectiveness of the proposed approach in diverse environments and usage scenarios.

## 1. INTRODUCTION

Electric Vehicles (EVs) have shown to be a viable alternative to hydrocarbon automobiles considering they emit no greenhouse gas and do not rely on crude oil-producing countries to determine gas prices. Other than this the entire full energy cycle is more efficient in the case of renewable energy, notably for solar photovoltaic (SPV) energy generation. We can readily observe how electricity rates remain reasonably stable while fuel costs surge throughout every international conflict. Considering all of these factors, electric vehicles are a better substitute to gasoline-powered vehicles. Whereas a significant amount of work is being undertaken to develop efficient electric vehicles and their corresponding infrastructural facilities, electric vehicles primarily use two charging schemes: onboard charging and off-board charging. The charging circuit of the on-board is retained within the automobile itself, and it may be charged whether using AC or DC. The charging circuit is housed within the charging station in the case of the off board, and an EV may indeed be charged using either 1-phase AC, 3-phase AC, or DC power, each of which has advantages as well as disadvantages. Charging an EV using solar energy can be a difficult operation considering solar irradiance and temperature change over time, contrary to an idealistic situation where weather conditions and temperature are constant [1]. As a result, the power generated is indeed not uniform. Various conventional mathematical and neural computing-based optimization approaches and techniques are implemented to assess this and it is known as "Maximum power point tracking (MPPT) of solar arrays [2], and each MPPT algorithm setup has advantages as well as disadvantages. This is implemented in series with the circuit referred to as the DC-DC Buck/Boost converter, whereby the solar panel's power output may very well be regulated by numerous MPP control methods mentioned above by altering the converter's pulse width modulated (PWM) input signal. Using this, solar panels are maintained at their maximum power point ( $V_{mp}$ ,  $I_{mp}$ ), going to charge the EV at the solar PV's maximum power output [3]. Further to that, since solar photovoltaic systems can be broadly classified as grid-connected or remote stand-alone systems, the system's power capacity can differ widely from low-powered operation to high-powered operation, the median generation capacity can differ of these systems is still well above hundreds of kW (kilo-Watts). It is also known that a sizable SPV can produce hundreds of amps of direct current, which also, if connected directly into the Electric vehicle, can cause damage [4]. In literature, different solutions for PV-powered EV chargers are proposed, such as Multifunctional Off-Board EV Charger

[5], Bidirectional EV Charger [6], Z-Source based charger [7], Wireless EV Charger [8], Intermittency mitigated EV Charger [9], etc. All these chargers are absolutely fine and suitable for EVs. However, in all these configurations and topologies, the grid is mandatory with PV to operate during the charging process. In the case of the standalone condition, these techniques will not work. Therefore, this paper proposes a novel topology and control to operate in a standalone condition. Additionally, an EV has a charging current rating that ordinarily ranges from 10% to 15% of the maximum capacity of the EV battery, with most EVs receiving up to 32A for power delivery up to 7.4KW from a typical charger, where the EV's battery is not continuously cooled throughout this charging period. Consequently, current must be monitored before being supplied into the EV [10], which may be performed by analyzing the solar array's output with sensors [11], [12]. Therefore, although solar PV can be found in even the most sparsely populated areas due to the increased intervention from the government, EV chargers are currently difficult to discover even those in tier 2 or 3 cities, let alone in villages or isolated areas. And hardly any research has been dedicated to the accessibility of charging infrastructure in remote locations where, if an EV user becomes stuck, they would have been unable to use an EV charging station since incorporating complex and costly charging stations for electric may not even be very economical in areas where the number of consumers is rather relatively small, as well as remote locations make it much more difficult for repair or replacement, which arises as a potential hazard which will always be considered as part. These characteristics summarize the fact that this is not the real solution to this particular circumstance. Therefore, in big countries like the USA, Canada, China, Russia, India, Australia, as well as in a few Arabian countries, governments are planning to provide pillar top solar panels in the remote locations for EV charging in an emergency situation (such as shown in Fig. 1). To operate in this situation, a special charging adapter requires, which extracts maximum power from the panel using MPPT technique and monitors charging current and safely completes the charging process. Therefore, as conclusion, can see the need for a compact, cost-effective charging solution that can be immediately linked to any Photovoltaic system and stored within the car and utilized in cases, for example like these as well as routine everyday charging needs and requirements. Even if certain work is underway in this area as well, wherein multiple sensors are being used to control the power fed into the Electric vehicle based on the capacity of the battery [13], [14], it uses a large number of sensor nodes, making it bulky and expensive, as well as increasing the possibility of electro-magnetic interference in the system. Furthermore, there is unquestionably no system on the market that can accomplish these two objectives, namely effective MPPT operating of solar photovoltaic and current strictly controlled charging of EV.

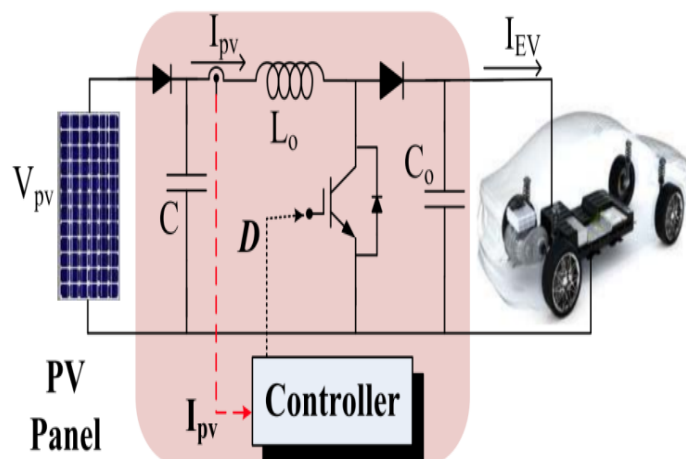


FIGURE 1. Single sensor-based circuit of EV charging adapter.

#### Description of Components:

**Solar Photovoltaic:** This component represents the photovoltaic (PV) panels that harness solar energy and convert it into electrical energy.

**Solar Energy:** The electrical energy generated by the solar panels.

**Particle Swarm Optimization (PSO):** PSO algorithm is applied to optimize the charging strategy based on real-time environmental conditions, grid electricity prices, and EV battery requirements.

**Charging Strategy:** The optimized charging strategy generated by the PSO algorithm, which determines the charging rates and schedules for the electric vehicle.

**Electric Vehicle:** Represents the electric vehicle being charged using solar power.

#### Standard PSO Algorithm

The particle swarm optimisation (PSO) algorithm was first introduced by Kennedy and Eberhart in 1995. The method is based on the natural process of the school of fish or the flock birds follow when they are searching for food. When birds are flying and searching randomly for food, birds in the flock share their discovery and help the entire flock achieve the best hunt, which results in increased search efficiency. PSO is an optimisation algorithm that offers a population-based search method in which individual particles utilise the information supplied by other particles to adjust their

positions over time based on their own experiences as well as the experiences of other particles. Finding a function's maximum or minimum on a multidimensional vector space is the ideal application for PSO.

## 2. STUDY OF THE SPIM DRIVE WITH A PERMANENT CAPACITOR

To analyse the capacitor-run SPIM behavior, a mathematical model has been developed in the Matlab/Simulink software environment. It covers both the steady-state and the dynamic drive performances. A replacement circuits of the two-winding steady-state operated SPIM are shown in Fig. 1 [11] where the main winding (a) and the auxiliary one (b) are presented.

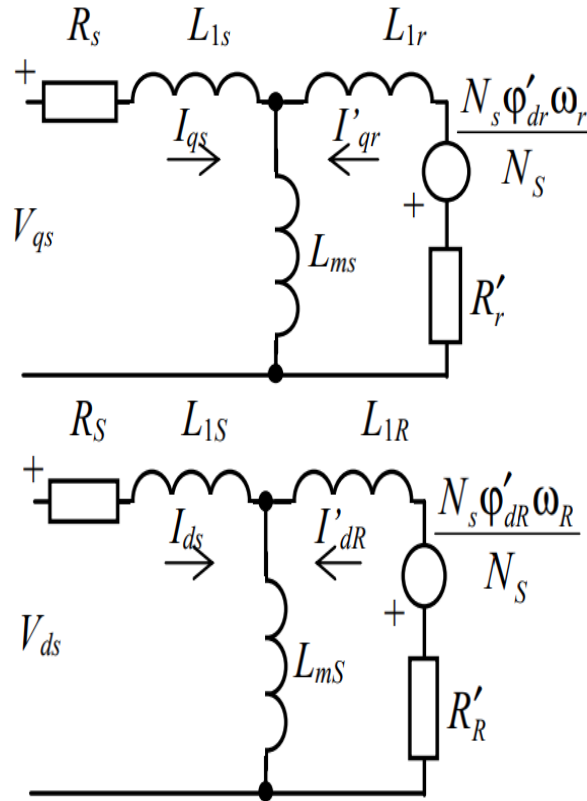


FIGURE 2. Replacement circuits of SPIM.

The mathematical description of the same machine in dynamics can be described using the following set of equations [12]:

$$V_{qs} = R_s i_{qs} + \frac{d\phi_{qs}}{dt} \quad (15)$$

$$V_{ds} = R_s i_{ds} + \frac{d\phi_{ds}}{dt} \quad (16)$$

$$0 = R'_s i'_{qs} + \frac{d\phi'_{qr}}{dt} - \left(\frac{N_s}{N_s}\right) \omega_r \phi'_{dr} \quad (17)$$

$$0 = R'_R i'_{dr} + \frac{d\phi'_{dr}}{dt} - \left(\frac{N_s}{N_s}\right) \omega_r \phi'_{qr} \quad (18)$$

$$T_e = p \left[ \left(\frac{N_s}{N_s}\right) \phi'_{qr} i'_{dr} - \left(\frac{N_s}{N_s}\right) \omega_r \phi'_{qr} \right] \quad (19)$$

Where

$$\phi_{qs} = L_{ss} i_{qs} + L_{ms} i'_{qr} \quad (20)$$

$$\phi_{ds} = L_{ss} i_{ds} + L_{ms} i'_{dr} \quad (21)$$

$$\phi'_{qr} = L'_{r} i'_{qr} + L_{ms} i_{qs} \quad (22)$$

$$\phi'_{dr} = L'_{RR} i'_{dr} + L_{ms} i_{ds} \quad (23)$$

$$L_{ss} = L_{1s} + L_{ms} \quad (24)$$

$$L_{SS} = L_{1S} + L_{mS} \quad (25)$$

$$L'_{rr} = L'_{1r} + L_{ms} \quad (27)$$

$$L'_{RR} = L'_{1R} + L_{mS} \quad (28)$$

Here,  $R_s$  and  $L_{1s}$  are the stator resistance and leakage inductance of the main winding;  $R_S$  and  $L_{1S}$  are the stator resistance and leakage inductance of the auxiliary winding;  $R'_r$  and  $L'_{1r}$  are the rotor resistance and leakage inductance

of the main winding;  $R'_R$  and  $L'_{lR}$  are the rotor resistance and leakage inductance of the auxiliary winding;  $L_{ms}$  and  $L_{mS}$  are the magnetizing inductances of the main and auxiliary windings;  $L_{SS}$  and  $L'_{rr}$  are the total stator and rotor inductances of the main winding;  $L_{SS}$  and  $L'_{RR}$  are the total stator and rotor inductances of the auxiliary winding;  $V_{qs}$  and  $i_{qs}$  are the q-axis stator voltage and current;  $V_{ds}$  and  $i_{ds}$  are the d-axis stator voltage and current;  $V'_{dr}$  and  $i'_{dr}$  are the d-axis rotor voltage and current;  $V'_q$  and  $i'_{qr}$  are the q-axis rotor voltage and current;  $\varphi_{qs}$  and  $\varphi_{ds}$  are the stator q- and d-axes fluxes;  $\varphi'_{qr}$  and  $\varphi'_{dr}$  are the rotor q- and daxes fluxes;  $p$  is the number of pole pairs;  $T_e$  is the electromagnetic torque;  $N_s$ ,  $N_s$  are the numbers of the main and the auxiliary winding effective turns.

The motor electromagnetic torque  $T_e$  and the rotor angular speed  $\omega_r$  were observed in simulation. Simulation shows that at low frequencies the torque almost equals zero and the torque-speed characteristic of the motor is very smooth. As a result, the motor cannot run and does not develop enough torque to keep the constant load. An effect of electromagnetic torque lowering along with the frequency drop is explained using the torque equilibrium (5). The torque of the capacitor-run SPIM depends on the currents in both the main and the auxiliary windings. Along with the frequency decrease, an impedance of the auxiliary winding grows because of the series-connected capacitor, which reactance is inversely proportional to the frequency.

$$X_c = \frac{1}{2\pi fC} \quad (29)$$

At the same time, an impedance of the main winding decreases at low frequencies, that is

$$X_L = 2\pi fL \quad (30)$$

Using the above model, the torque, speed, and current waveforms were observed at 10 Hz with the permanent 4  $\mu$ F capacitor.

This simulation has confirmed that at low frequencies the small capacitor reactance affects negatively the auxiliary winding current, which approaches zero. As a result, the motor does not produce the torque and, after applying the nominal load for about 0.5 s the motor cannot run or begins to rotate in the reverse direction. According the simulation results, the SPIM with a permanent capacitor can be recommended for the vehicle systems with the small start-up torque, primarily for the EV system as well as for the propulsion systems of bicycles operated under the rider pedalling.

### 3. PV CONVERSION CHAIN

The PV conversion chain illustrates in figure, MPP is reached through controlling the DC-DC converter with a system using a MPPT controller. The strategy of the MPPT controller allows to optimize the transfer of power from the PV panel to the load.

#### Proposed Block Diagram

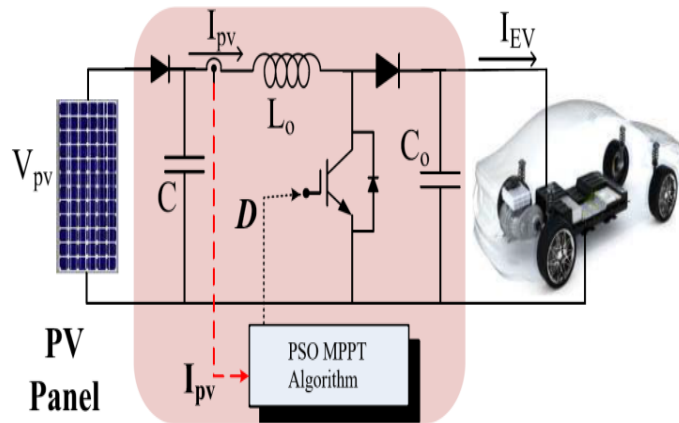


FIGURE 3. Elementary chain of photovoltaic conversion.

The simulation of a system in the figure of renewable energy in general, and solar system “photovoltaic” in particular the optimizing system adapted by DC-DC converters static. Then the influence of temperature and irradiance on the optimal parameters (Power of MPP, VMPP) of a solar system is analysed in a way to operate a PV generator at its maximum power. This system includes a photovoltaic generator, “Boost & Buck”, converter and a load. Model and simulation system (solar panel, DC-DC converter command and load) is obtained through Matlab-Simulink software.

### 4. PV PANEL MODEL

In order to model our PV panel, we start with a simple model which is one of a PV elementary cell. The configuration that below figure presents is the most common equivalent schema of a solar cell. It is composed of a source of variable current  $I_{pv}$ , connected in parallel with a diode  $D$ , characterizing the junction of semi-conductors which make the solar

cell, and a parallel resistance  $R_p$ . To this assembly, another resistance  $R_s$  is added in series. In model of a PVG issues is defined by the following equations:

$$I_0 = \frac{I_{sc,n} + K_i \Delta T}{\exp\left(\frac{V_{oc,n} + K_v \Delta T}{aV_t}\right)}$$

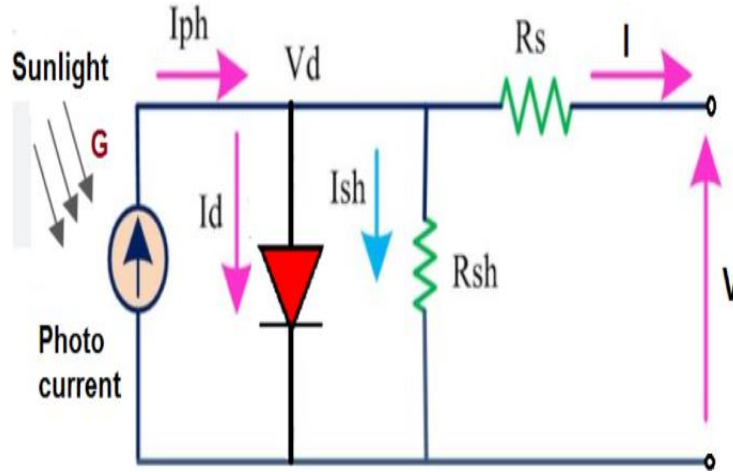


FIGURE 4. Equivalent electric circuit of solar cell.

- $I_0$ : Diode reverse saturation current (A).
- $I_{pv,n}$ : Current measured under Standard Test Conditions (A).
- $I, V$ : PVG current (A) and voltage (V).
- $I_{sc}$  and  $V_{oc}$ : Short circuit current (A) and Open circuit voltage (V) measured under Standard Test Conditions.
- $R_s, R_p$ : Series resistance ( $=0.2365 \Omega$ ) and parallel resistance ( $=415.405 \Omega$ ) respectively

**Static Converter Type Buck**

In our research, the suggested system contains a power converter DC-DC type Buck, driven by using the Pulse Width Modulation principle. This converter is model by the equivalent electric schema in below figure.

As far as the simulations of the studied converter are concerned, the parameters we have used are: the resistance of the load being  $R_c = 3 \Omega$ , the capacitance of the capacitor being  $C = 4.7 \mu F$ , the inductance of the inductor being  $L = 2 \text{ mH}$ , D being freewheeling diode and T being a transistor type MOSFET. During the operation in continuous mode of this buck converter, the average values of the output voltage  $V_s$  and input voltage  $V_e$  are proportional as follows:

$$V_s = V_e \cdot \alpha$$

The proportionality coefficient  $\alpha$ , being the duty cycle of values ranging from 0 to 1. In this present case, we use an average model of a buck converter, that is,  $V_D \approx \alpha V_e$ . Therefore, this converter will be described by the following equations:

$$C \frac{dV_s}{dt} = i_L - \frac{V_s}{R_s}$$

$$L \frac{di_L}{dt} = \alpha V_e - V_s$$

To limit the ripples of the current and voltage at the level of the load, the LC cell, constitutes a low-pass filter. To size this filter, we determine the minimal values of the inductance L and the capacitance C, bearing in mind the following constraints, studied by a number of authors:

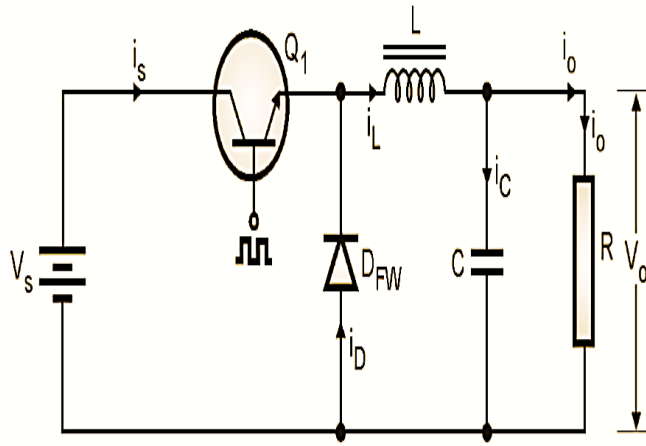


FIGURE 5. Equivalent electric circuit of buck converter.

- The current through the inductor must be in a reasonable range in all load conditions as the converter operates in continuous mode.
  - The maximum output voltage ripple must not exceed 5% of the output voltage  $V_s$ .
- Considering these constraints, the low-pass filter LC must respond to all the conditions of the following relations, where  $f_c$  corresponds to the PWM switching frequency:

$$L \geq \frac{dV_e}{\Delta I_s f_c} \alpha (1 - \alpha).$$

$$C \geq \frac{(1 - \alpha)}{8L f_c^2} \left( \frac{V_s}{\Delta V_s} \right).$$

**MPPT Tracking Controllers:** The power chain supplies a DC load by the PVG through a static converter (SC) driven by a MPPT controller and based on one of the algorithms “Fuzzy TS”, “P&O” or “PSO”. The MPPT controller adjusts the duty cycle of the SC in such a way that the power provided by the PVG is maximum at its boundaries.

Although solar energy is available throughout the day its insolation varies from morning to evening and with changing climatic conditions. As the efficiency of solar PV panel is low it becomes mandatory to extract maximum power from the PV panel at any given period of time. Several maximum power point tracking (MPPT) techniques are proposed for the purpose. Incremental conductance MPPT technique has higher steady-state accuracy and environmental adaptability.

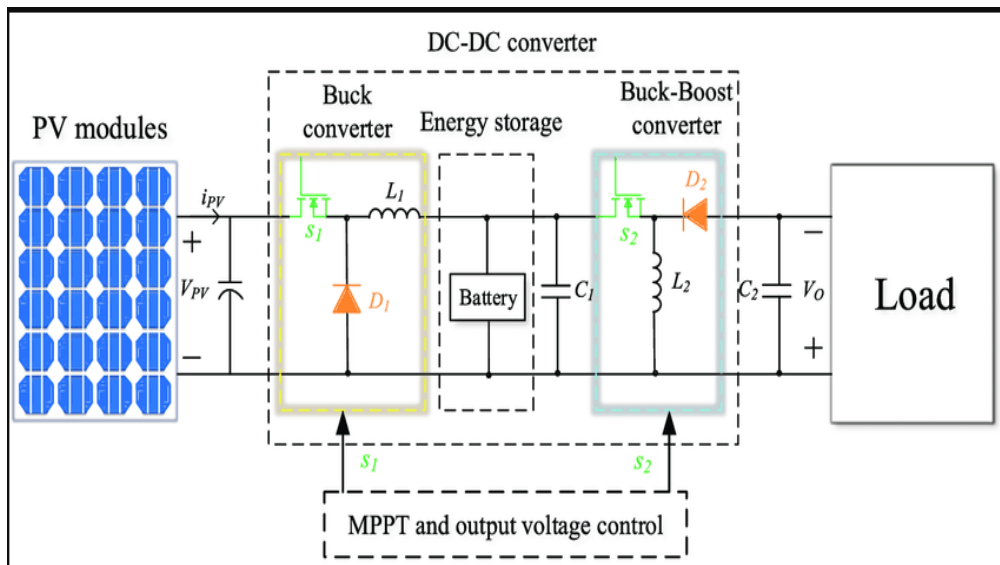


FIGURE 6. PV system with buck converter driven by MPPT.

This paper investigates implementation issues of Incremental conductance MPPT algorithm. High frequency DC-DC Buck converter is used to interface PV panel with load. The Matlab Simulink model of the system is developed and results are validated with experimental results obtained using laboratory prototype of the system.

6.2.3. PSO Controller “Particle Swarm Optimisation”

1) The basic PSO algorithm technique is a robust stochastic optimization technique based on the movement and intelligence of swarms. It applies the concept of social interaction to problem solving. It uses a number of agents (particles) that constitute a swarm moving around in the search space looking for the best solution. Each particle keeps track of its coordinates in the solution space which are associated with the best solution (fitness) that has achieved so far by that particle. This value is called personal best,  $P_{best}$ . Another best value that is tracked by the PSO is the best value obtained so far by any particle in the neighbourhood of that particle. This value is called  $G_{best}$ . During the optimization process, the particles take up the objective function’s values, while their  $G_{best}$  and  $P_{best}$  are saved. The basic PSO algorithm which determines the next velocity and position of the candidate solution can be given mathematically as:

$$v_i^{k+1} = w \times v_i^k + r_1 \times c_1 \times (P_{besti} - x_i^k) + r_2 \times c_2 \times (G_{best} - x_i^k)$$

$$x_i^{k+1} = x_i^k + v_i^{k+1}$$

In the afore mentioned expression,  $i$  represents the variable of the optimization vector,  $k$  is the number of iterations,  $v_i^k$  and  $x_i^k$  respectively the velocity and position of the  $i$ th variable within  $k$  iterations, the parameter  $w$  is known as inertia that maintains a balance between the local and global search.  $c_1$  and  $c_2$  are acceleration constants.  $r_1$  and  $r_2$  are two generated random numbers which are uniformly distributed in the interval  $[-1, 1]$ . The variable  $P_{besti}$  records the best position affected by the  $i$ th particle up to the exact time of measurement. The following equation indicates that this position is only recorded as  $P_{besti}$  if the condition stated below is satisfied.

**5. PROPOSED CONCEPT MPPT METHOD**

PSO Controller “Particle Swarm Optimisation”

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$$x_i^{k+1} = x_i^k + v_i^{k+1} \quad (11)$$

In the afore mentioned expression,  $i$  represents the variable of the optimization vector,  $k$  is the number of iterations,  $v_i^k$  and  $x_i^k$  respectively the velocity and position of the  $i$ th variable within  $k$  iterations, the parameter  $w$  is known as inertia that maintains a balance between the local and global search.  $c_1$  and  $c_2$  are acceleration constants.  $r_1$  and  $r_2$  are two generated random numbers which are uniformly distributed in the interval  $[-1, 1]$ . The variable  $P_{besti}$  records the best position affected by the  $i$ th particle up to the exact time of measurement. The following equation indicates that this position is only recorded as  $P_{besti}$  if the condition stated below is satisfied.

$$P_{besti} = x_i^k \text{ if } fit(x_i^k) \geq fit(P_i) \quad (12)$$

2) Configuration of PSO parameters

The search space of the problem in which each position represents an Output Voltage value as a solution to the MPPT problem. The evaluation of the particles is based on the Output Power of the PV panel respective to the final voltage value which is indicated by  $fit$  as the fitness evaluator for the particles. The following equation shows the position matrix of the  $n$  particles which represents  $n$  solutions to the MPPT problem.

$$x_i^k = [x_1^k, x_1^k, x_1^k \dots \dots x_i^k, \dots \dots x_{(n-1)}^k, x_n^k] \quad (13)$$

where  $x_i^k$  is the position of  $i$ th particle at  $k$ th iteration. Therefore, the algorithm must be initialized when the following equation is satisfied.

$$\frac{fit(x_{i+1}) - fit(x_i)}{fit(x_i)} > \Delta P \quad (14)$$

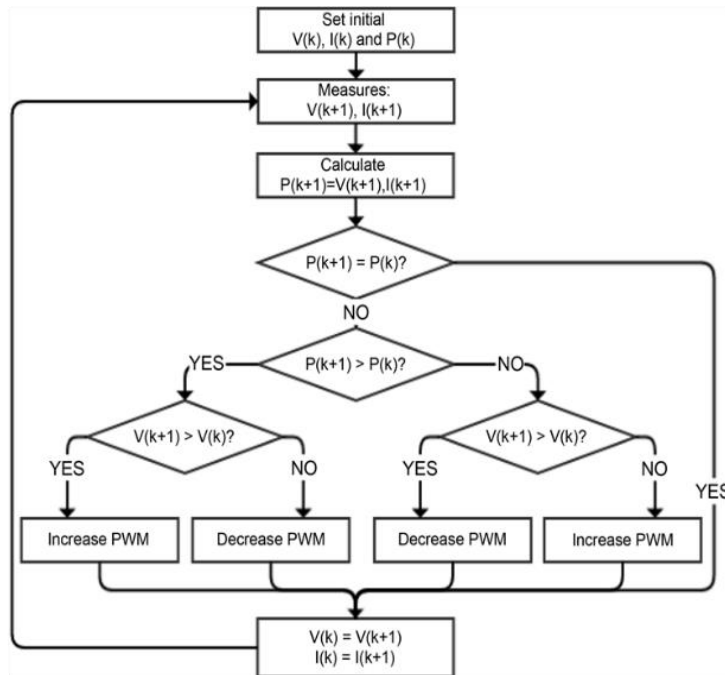


FIGURE 7. Flow chart of PSO algorithm

The PSO algorithm implementation process in this paper is as follow:

- i) Initialize the size of swarm, dimension of search space, maximum number of iterations, and the PSO constants  $w$ ,  $c_1$  and  $c_2$ . Define the random numbers  $r_1$  and  $r_2$ .
- ii) Find out the current fitness of each particle in the population.
- iii) Attribute the particles with random initial positions and velocities.
- iv) Evaluate fitness value of each particle.
- v) Calculate the global best fitness value: current global best fitness = min (local best fitness).
- vi) Update the particle velocity and position for next iteration. Find out the current fitness of each particle: If current fitness < local best fitness, set local best fitness = current fitness.
- vii) Determinate the current global best fitness (current global best fitness = min (local best fitness)): If current global best fitness < global best fitness, then global best fitness = current global best fitness. The position corresponding to global best fitness is assigned to  $G_{best}$ .
- viii) Repeat Steps 6 and 7 until achieved the maximum number of iterations or there is no improvement of the global best fitness value.
- ix) Terminate the iterative algorithm when the criterion is reach.

## 6. RESULTS

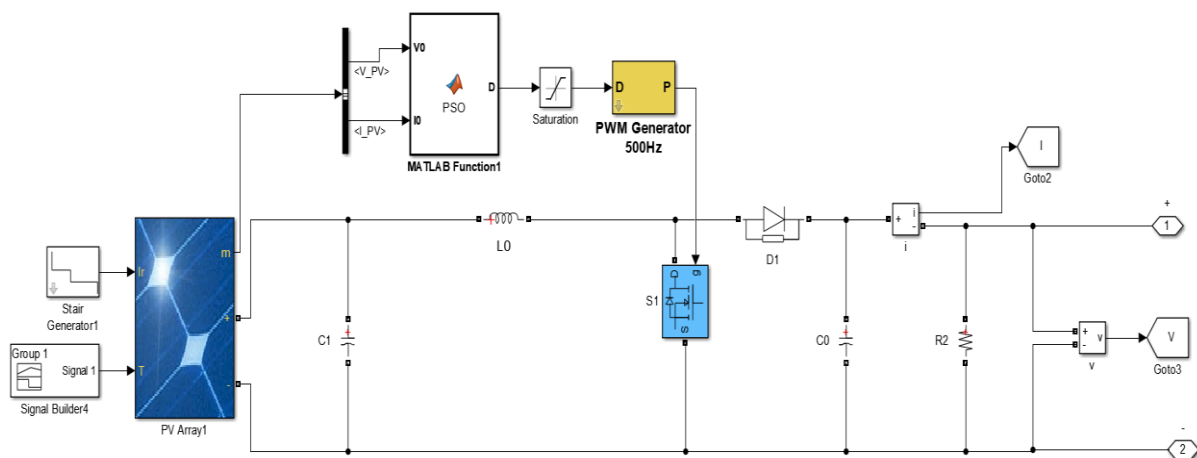


FIGURE 8.



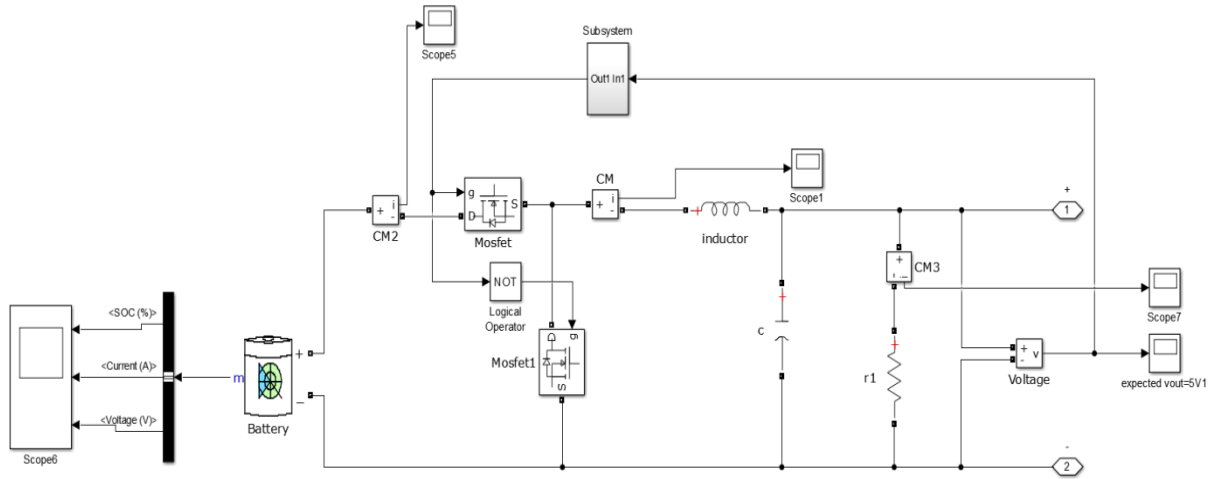


FIGURE 9.

**CASE-1: Solar Irradiance Variation in Step Manner**

In case-1, solar irradiance has been varied in a stepwise manner as shown in Fig. 9 for a period of 5 secs, i.e., from 0.5 secs to 5.5 secs and varies from initially 1000W/m<sup>2</sup> to 500W/m<sup>2</sup> to 900W/m<sup>2</sup> to 600W/m<sup>2</sup> to 800W/m<sup>2</sup> and finally to 700W/m<sup>2</sup> while the change in solar irradiance is in the stepped manner. Here, output waveforms of solar PV are shown in Fig. 10, where Fig. 10(a) is for P&O [12], followed by Fig. 10(b) is for MP&O [11] and Fig. 10(c) is for our proposed approach SIFL-DO. In Fig. 10(a) and Fig. 10(b), it can be clearly seen that in the steady-state condition, the significantly high number of fluctuations are in PV voltage (VPV), PV current (IPV) and PV power (PPV)

This is happening because of the oscillating duty cycle generated by P&O and MP&O. The waveforms of the duty cycle obtained by P&O and MP&O algorithm are also shown in Fig. 10(a) and Fig. 10(b), respectively.

Moreover, during dynamic change conditions, time taken to transition from one mode of operation to another is clearly taking more time in the case of P&O [12] and MP&O [11] due to their rigid and constant nature of step size. While comparing Fig. 10(a), Fig. 10(b) that is P&O and MP&O, respectively, with Fig. 10(c) that is our proposed method SIFL-DO, these unwanted fluctuations are removed significantly in steady-state conditions, and in dynamic change conditions, transition time is much faster which can be clearly noticed between 0.5s to 2.5s. Moreover, in steady-state conditions this fluctuation becomes complete negligible. The waveforms of EV battery charging are shown in Fig. 11, where Fig. 11(a), Fig. 11(b), and Fig. 11(c) depict the performance of P&O [12], MP&O [11] and proposed SIFL-DO algorithm. In Fig. 11(a) and Fig. 11(b), it can be clearly seen that in steady-state conditions, oscillations are in EV battery charging voltage (VEV), EV battery charging current (IEV) and EV battery charging power (PEV). This is happening because of oscillations in VPV, IPV, and PPV, because of P&O and MP&O. Moreover, during dynamic change conditions, the time taken to transition from one power level to another, it is taking longer time, which disturbs the charging process and reduces the efficiency of the system. However, Fig. 11(c) shows that because of our proposed method SIFL-DO, the oscillations in the steady-state condition is negligible, and in dynamic change condition, transition time is much faster, which enhances the charging process and efficiency of the system.

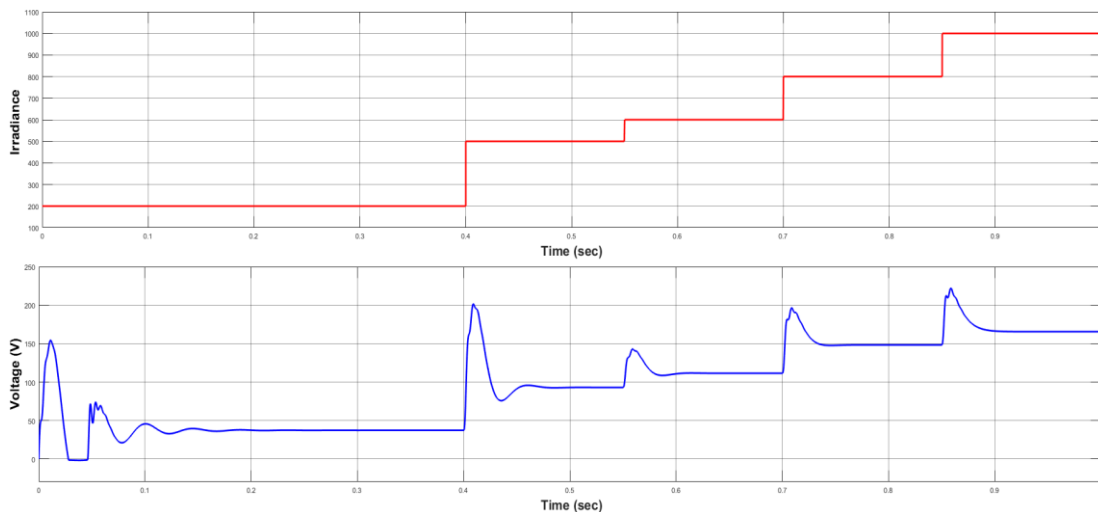


FIGURE 11. The obtained waveforms of solar panel in case-1 test condition by using PSO

## CASE-2: Solar Irradiance Variation in Ramp Manner

In case-2, solar irradiance has been varied in ramp wise manner as shown in Fig. 12 for a time period of 5s, i.e., from 0.5s to 5.5s and varies from initially 1000W/m<sup>2</sup> to 400W/m<sup>2</sup> to 900W/m<sup>2</sup> to 500W/m<sup>2</sup> to 800W/m<sup>2</sup> and finally to 700W/m<sup>2</sup> while the change in solar irradiance is in a ramp manner. In this condition, the obtained output waveforms of solar PV are shown in Fig. 13, where Fig. 13(a) is for P&O, followed by Fig. 13(b) is for MP&O and Fig. 13(c) is for our proposed approach SIFL-DO. In Fig. 13(a) and Fig. 13(b), it can be clearly seen that in steady-state condition, significantly huge fluctuations are in VPV, IPV and PPV. This is happening because of the oscillating duty cycle generated by P&O and MP&O. The waveforms of D obtained by P&O and MP&O algorithm are also shown in Fig. 13(a) and Fig. 13(b), respectively. Moreover, during dynamic change condition, during shifting from one mode of operation to another, deviation on the tracking track is, in the case of P&O and MP&O, because of their rigid and constant nature of step size. While comparing Fig. 13(a), Fig. 13(b) that is P&O and MP&O, respectively with Fig. 13(c) that is our proposed method SIFL-DO, these unwanted fluctuations are removed significantly in steady-state conditions, and in dynamic change conditions, it is following the change with the slop of ramp. Moreover, during tracking, the fluctuation and deviations are completely negligible.

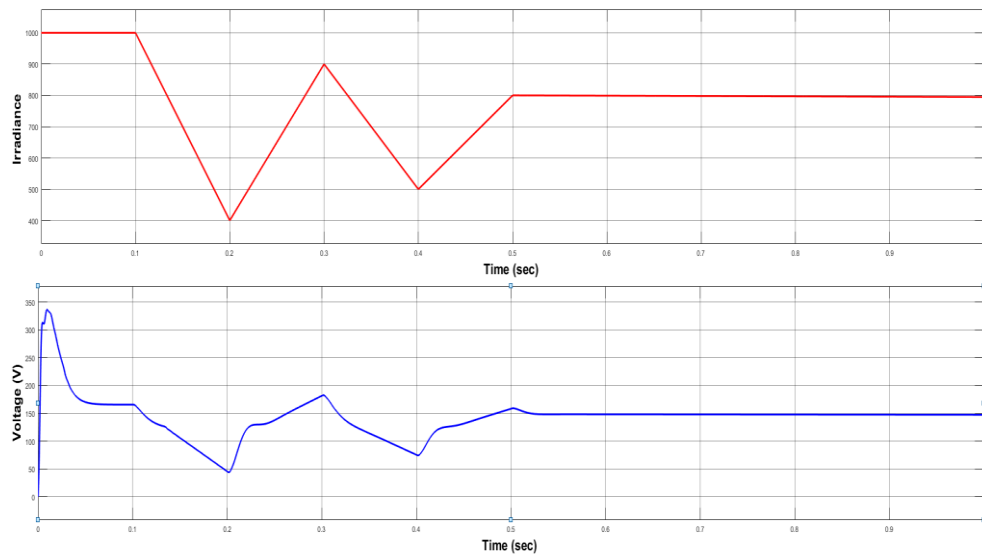


FIGURE 12. Solar irradiance pattern with ramp change and the output Voltage.

The waveforms of EV battery charging are shown in Fig. 14, where Fig. 14(a), Fig. 14(b), and Fig. 14(c) depict the performance of P&O [12], MP&O [11] and proposed SIFL-DO algorithm. In Fig. 14(a) and Fig. 14(b), it can be clearly seen that in steady-state condition, oscillations are in VEV, IEV and PEV. This is happening because of oscillations in VPV, IPV, and PPV, because of P&O and MP&O. Moreover, during dynamic change condition, the deviation on the tracking track, during transition from one power level to another is clearly visible, which disturbs charging process and reduces the efficiency of the system. However, Fig. 14(c) shows that because of our proposed method SIFL-DO, the oscillations in the steady-state condition is negligible, and in the dynamic change condition, deviation on the tracking track is also negligible, which enhances the charging process and efficiency of the system

## 7. CONCLUSION

In this paper, a novel charging adapter topology has been proposed, which is based on a single current sensor. Low cost, fast response and high sensitivity to dynamic change, these behaviours of the current sensor make it an accurate and economical charger. Moreover, a PSO algorithm has been proposed to accomplish MPPT operation and battery charging management. PSO algorithm has very good condition estimation and decision-making capability, which performs MPPT very accurately, monitors the charging process, and keeps it safe in adverse conditions. The capability of developed charging adapter with PSO algorithm has been evaluated on Hardware prototype, as well as comparative studies have been performed w.r.t. state-of-the-art techniques, where developed charging scheme shows the dominance over other techniques. The only limitation of this technique is required comparatively slightly bigger processor to execute this control logics.

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